

Anisotropic rheology and directional mechanotransduction in vascular endothelial cells

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Adherent cells remodel their cytoskeleton, including its directionality, in response to directional mechanical stimuli with consequent redistribution of intracellular forces and modulation of cell function. We analyzed the temporal and spatial changes in magnitude and directionality of the cytoplasmic creep compliance (Γ) in confluent cultures of bovine aortic endothelial cells subjected to continuous laminar flow shear stresses. We extended particle tracking microrheology to determine at each point in the cytoplasm the principal directions along which Γ is maximal and minimal. Under static condition, the cells have polygonal shapes without specific alignment. Although Γ of each cell exhibits directionality with varying principal directions, Γ averaged over the whole cell population is isotropic. After continuous laminar flow shear stresses, all cells gradually elongate and the directions of maximal and minimal Γ become, respectively, parallel and perpendicular to flow direction. This mechanical alignment is accompanied by a transition of the cytoplasm to be more fluid-like along the flow direction and more solid-like along the perpendicular direction; at the same time Γ increases at the downstream part of the cells. The resulting directional anisotropy and spatial inhomogeneity of cytoplasmic rheology may play an important role in mechanotransduction in adherent cells by providing a means to sense the direction of mechanical stimuli.

anisotropy | microrheology | shear stress

Blood vessels are exposed to flow-induced shear stresses, which are borne primarily by vascular endothelial cells (VECs) (1). VECs perform functions such as regulation of permeability, the production, secretion, and metabolism of biochemical substances, and modulation of vascular smooth muscle cell contractility. Sustained application (hours) of laminar shear stresses (LSS) to cultured VECs induces cell elongation and alignment along the flow direction (2). The actin stress fibers thicken and gradually align with flow (3), the focal adhesions relocate primarily to the upstream part of the cell (4), and cell–cell junctions are transiently disrupted (5). The structural reorganization of cytoskeleton leads to changes in subcellular microrheology that can play an important role in mechanosensing and signaling by redistributing the external forces among intracellular subdomains (6, 7). Existing evidence suggests that changes in subcellular microrheology, including directionality and polarity, could provide a mechanism for cells to sense external forces and their direction, modulate intracellular signaling, and regulate gene expression and cell turnover (8).

The realization that mechanical polarity may modulate cell function has conferred special significance to measuring the spatiotemporal adaptation of rheological properties of VECs to shear stresses. Sato *et al.* (9) determined the viscous and elastic resistances to micropipette aspiration of VECs after 24 h of directional LSS and provided the first quantitative evidence of the adaptation of VEC mechanical properties to shear stresses, but the aspiration involved relatively large cell deformation (10). Characterization of subcellular changes is needed to understand how cytoskeletal reorientation translates into spatial and directional changes in microrheological properties of VECs. Atomic force microscopy (AFM) has revealed that VECs become more

resistant to indentation by AFM tip 6–24 h after the application of a LSS of 20 dyn/cm², with a transient asymmetry between upstream and downstream parts (11). More recently, particle tracking microrheology (PTM) has been used to investigate the temporal changes in viscoelastic shear moduli of cells in the plane of application of LSS over time courses of seconds (12) and minutes (13). These studies, however, do not address the adaptation of the in-plane microrheological properties of VECs to LSS applied over periods of hours (i.e., the time scale of morphological remodeling), nor the anisotropy of this adaptation, which correlates strongly with the direction of the applied LSS, as shown in this article.

Our work was motivated by the need to measure in a noninvasive way the temporal changes in magnitude, direction, and spatial distribution of rheological properties of VECs subject to prolonged exposure to LSS. We used directional particle tracking microrheology (DPTM), an extension of PTM (14, 15) that analyzes the Brownian dynamics of intracellular particles by measuring the 2×2 correlation tensor of particle displacements (16). DPTM allowed us to determine at each instant of time the directions along which the cytoplasmic creep compliance (Γ) is maximal and minimal (principal directions) at each location.

Results

The Mitochondria as Endogenous Probes for DPTM. Being compact and connected to the cytoskeleton (17), the mitochondria have long been used as endogenous probes to measure intracellular mechanical properties (18, 19). We tracked and analyzed the random motion of these organelles to determine the magnitude and anisotropy of the microrheological properties of VECs subjected to continuous LSS (see *Materials and Methods* and Fig. 1). We accounted for the dynamics and geometry of the mitochondria and corrected for possible sources of artifactual directionality. One of these sources is the persistent motion of some mitochondria due to transport by motor proteins on cytoskeletal tracks. This directed transport has been associated to ATP-dependent superdiffusive dynamics and an increased mobility (20, 21). Directed transport, in contrast to Brownian motion, is anisotropic at long τ . This effect can be seen in the mean square displacements (MSD) of a particle in an orthotropic medium being transported at a constant velocity (V), and subject to a Brownian motion with diffusion coefficients D_+ and D_- along the principal directions of the medium. It follows in this simple directed-Brownian model that the principal values of the MSD (PMSD) are $r_+^2 = (V\tau)^2 + D_+\tau$, and $r_-^2 = D_-\tau$. Thus, the anisotropy of the MSD (A_{MSD}) increases as

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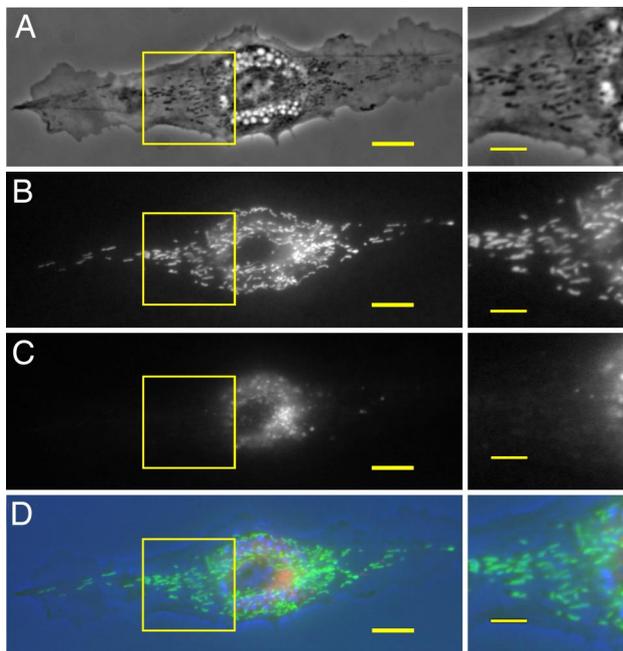


Fig. 1. Staining for different organelles and vesicles in the same VEC reveals that the endogenous particles used in our experiments are the mitochondria. (A) Phase image; (B) mitochondria marked with MitoTracker Green FM (Invitrogen); (C) lysosomes marked with LysoTracker Red DND-99 (Invitrogen); (D) merged image composed by using panels (A, B and C) in the blue, green and red channels, respectively. The images at the right of each panel show magnifications of the framed area in the corresponding left panel. The scale bars are 5 μm in left panels and 2 μm in right panels.

$$\frac{r_+^2}{r_-^2} = \frac{D_+}{D_-} \left(\frac{\tau}{T} + 1 \right), \quad [1]$$

where $T = D_+/V^2$ is the timescale over which transport dominates diffusion. As predicted by the model, A_{MSD} of the mitochondria undergoing superdiffusive directed transport ($V > 0$) shows a linear increase with τ (Fig. 2). After removal of the particles undergoing direct transport from the analysis, the PMSD for the remaining particles ($V = 0$) show a level of anisotropy between 3 and 5 that varies little with τ , as expected from a passive orthotropic medium. The model also predicts that the degrees of A_{MSD} of the mitochondria showing these two types of behaviors should converge as τ approaches 0, and this is indeed the case (Fig. 2, *Inset*).

A second possible source of artifactual directionality that was ruled out in our analysis is the fact that mitochondria have ellipsoidal shapes rather than being perfect spheres, as this may affect their random thermal motion. At short τ , the Brownian motion of an ellipsoid is directional even in isotropic media because its drag coefficient is smaller when moving along its major axis (22). At longer τ , however, the random rotation of the ellipsoid renders its motion isotropic and statistically indistinguishable from that of a sphere. The transition from anisotropic to isotropic behavior occurs at $\tau \sim I/D_\theta$, where D_θ is the rotational diffusion coefficient of the ellipsoid. Such transition would appear as a decrease in A_{MSD} with increasing τ , which is not observed in our measurements (Fig. 2). Therefore, our results indeed reflect the anisotropy of the microrheological properties of VECs and are not affected by the ellipsoidal shape of the mitochondria. This important point was further confirmed

[†]This linear growth holds in the range $0.2 \text{ s} < \tau < 10 \text{ s}$ in which Γ has been measured, but it should saturate for $\tau > T_V$, where T_V is the typical duration of the directed walks.

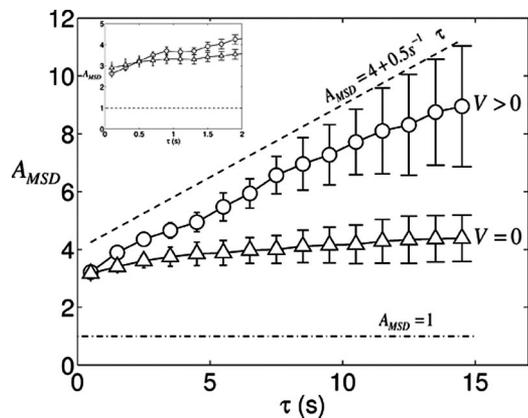


Fig. 2. A_{MSD} (Eq. 1) of the mitochondria of VECs ($n = 8$), represented as a function of time separation τ . Open circles, particles undergoing active motion ($r_+^2 = V^2\tau^2 + D\tau$ with $V > 0$); open triangles, particles undergoing passive motion ($V = 0$). The chain-dotted line indicates isotropy, $A_{\text{MSD}} = 1$, whereas the dashed line represents anisotropy increasing as $A_{\text{MSD}} = 4 + 0.5 \text{ s}^{-1} \tau$. (*Inset*) Evolution of A_{MSD} for short τ . Error bars indicate S.D.

by the agreement we found between the DPTM measurements using endogenous probes presented here and additional experiments conducted with exogenous, 0.2 μm -diameter polystyrene microspheres introduced into the VECs.

Anisotropy of the Microrheological Properties of VECs. Fig. 3 shows the averaged PMSD of the mitochondria in a VEC culture before the application of LSS. Consistent with Fig. 2B, the average values of r_+^2 are larger than r_-^2 by a factor of 3–5. Because $\Gamma_{+,-}$ are directly proportional to the PMSD (see DPTM in *Materials and Methods*), these results indicate that, at each point in the cytoplasm, there is a direction along which Γ is 3–5 times higher than in the direction perpendicular to it. The degree of anisotropy of Γ increases slightly with an increase in τ . The power slopes of $r_+^2(\tau)$ and $r_-^2(\tau)$, i.e., β_+ and β_- , respectively (Fig. 3, *Inset*), indicate how closely the cytoplasm behaves as a viscous fluid ($\Gamma \propto \text{MSD} \propto \tau^\beta$, with $\beta = 1$) or as an elastic network ($\beta = 0$) along each principal direction. For $\tau < 1 \text{ s}$, both slopes are similar and $\beta \approx 0.45$, consistent with an elastic-like regime in all directions. However, the power slopes of $r_+^2(\tau)$ and $r_-^2(\tau)$ diverge for $\tau > 1 \text{ s}$, where $\beta_+ \approx 0.85$ and $\beta_- \approx 0.50$, showing that each point of the cytoplasm behaves more like a

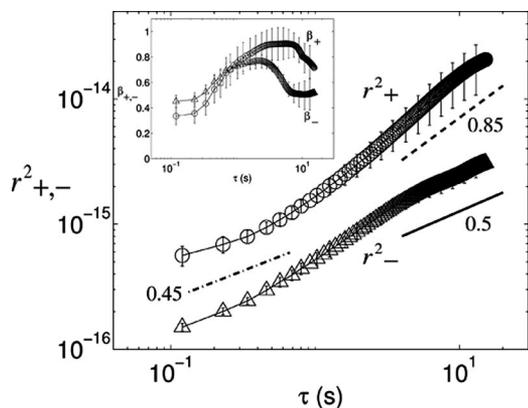


Fig. 3. PMSD of the mitochondria of VECs ($n = 8$), represented as a function of time separation τ . Open triangles, PMSD along the direction of minimal compliance (r_-^2); open circles, PMSD along the direction of maximal compliance (r_+^2). The chain-dotted, solid and dashed straight lines have power slopes $\beta \approx 0.45, 0.50$ and 0.85 , respectively. (*Inset*) Power slopes of the PMSD, β_+ and β_- , as a function of τ . Error bars indicate S.D.

The particles were tracked from time-lapse sequences of phase-contrast microscopy images using standard procedures (34). Digital processing of the images was performed with custom-written functions in MATLAB (The MathWorks). To determine whether the particle was undergoing active transport or passive diffusion, the MSD of each particle were fit to the curve:

$$\text{MSD} = V^2\tau^2 + D\tau, \quad [4]$$

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where V is a persistent velocity and D is a diffusion coefficient. Particles undergoing active transport ($V > 0$) show an increased anisotropy of MSD distribution with increasing τ (see Fig. 2 in *Results*), and such particles were removed from the calculation of Γ .

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